



Utilizing Density Functional Theory to Model Small Molecule-Aragonite Interactions Relevant to Cultural Heritage

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Introduction

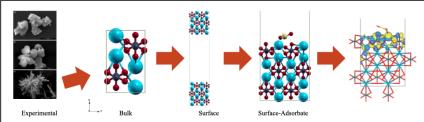
- Aragonite is a high-pressure polymorph of CaCO₃ commonly found in oceans, caves, and in the shells/skeletons of marine animals.
- Aragonite is relevant to cultural heritage, especially for cultures near the ocean. It is a component in historical pigments and paints and the shells of mollusks. Historical material like sculptures may also have aragonite as its main component.
- When exposed to certain conditions, it can easily degrade.
- DFT is a quantum mechanical method of calculating the electron density of atoms, molecules, and surfaces. It uses the reductionist approach gain information through simplifying the problem.



Project Goals

- Examine and model different functional group interactions using DFT
- 2. Create damage mitigation procedures based on data trends
- Predict how complicating environmental factors may compound present damage
- Assess different conservation approaches to address resulting problems

Methods



Computational Details

All calculations described here employ periodic DFT methods (Hohenberg and Kohn, 1964; Kohn and Sham, 1965) and are carried out using Quantum Espresso, an open-source software package (Giannozzi et al., 2009; Giannozzi et al., 2017). All atoms are represented using GBRV-type ultrasoft pseudopotentials (Vanderbilt, 1990; Garrity et al., 2014). A plane-wave cutoff of 40 Ry and charge density cutoff of 320 Ry are employed for all calculations, in line with similar surface studies (Bennett, Jones, Hamers, et al., 2018; Bennett, Jones, Huang, et al., 2018; Bennett et al., 2020). Bulk structural relaxations use a 6x6x6 k-point grid (Monkhorst and Pack, 1976), and the convergence criteria for self-consistent relaxations is 5x10⁻⁶ eV. Geometry optimization of all surface-adsorbate interactions did not include fixing any layers, as detailed in Corume tal (2017) where all atoms are free to relax. All calculations are performed at the GGA level using the Wu-Cohen (WC) modified PBE-GGA exchange correlation functional for solids (Perdew et al., 1996; Wu and Cohen, 2006).

Results



20	NO ₂	-0.42	0.18
	CO ₂	-0.62	-0.27
	НСООН	-0.83	
	O ₃	-1.10	-0.09
Ų	CH ² O	-1.14	
30 {	SO ₂	-1.20	-0.64
	H ₂ S	-1.20	
2a {	H,O	-2.05	
	CH ₃ COOH	-2.50	
3g {	SO ₃	-3.34	
	SO ₄ H ₂	-3.47	
	SO ₃ H ₂	-3.64	
-			

NO₂

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Conclusions

- The adsorbates SO₃, H2SO₄, and H2SO₃ have the strongest interactions, while NO₂ and CO₂ have the weakest. SO₂ and H₂S had weaker interactions than the other sulfur-centered adsorbates due to the S oxidation state.
- A conservation recommendation: Prioritize removing sulfur-containing adsorbates when displaying aragonite-containing artifacts.
- Conclusion: pKA is not a sufficient guide to predict interactions.
- While exploring protonated surface trends, future works can focus on finding effective filtration for the 3p sulfur-containing molecules and analyzing current display case absorbers' effectiveness and interactions with aragonite surfaces. Filters such as activated charcoal, potassium permanganate, and silica gel have been shown to help remove one or more of the following pollutants: ozone, formaldehyde, nitrogen dioxide, sulfur dioxide and hydrogen sulfide.
- Future projects can also investigate the uses of aragonite in restoration instead of the conservation of aragonite surfaces. The findings can be expanded and applied to aragonite's uses as the agent for removing pollutants from other surfaces like bronze statues.

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